

NAME: \_\_\_\_\_

# U2:L3 Mass VS Weight

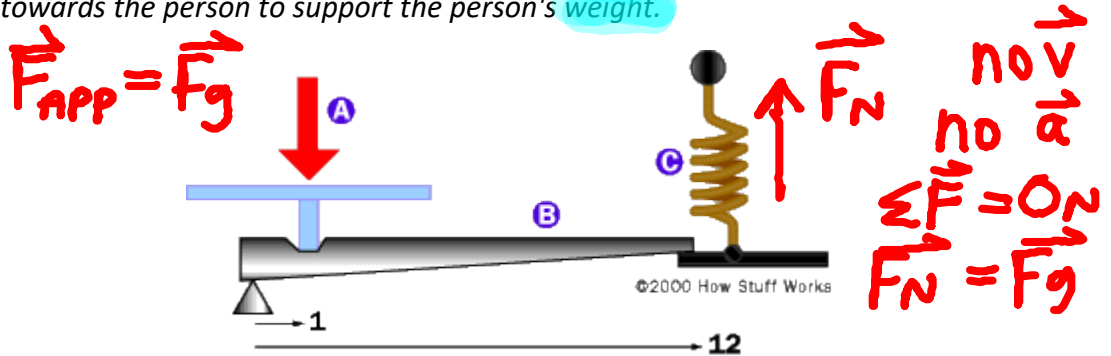
A person with mass,  $m$ , who is located at or near the surface of the Earth will always have some

weight...  $\vec{F}_g = m\vec{g}$  } **VECTOR**  
 "g" =  $9.8 \text{ m/s}^2$  on Earth  
 Force of Gravity (N) } **SCALAR**  
 mass of object (kg)



When a person stands on a scale, the reading (the number of pounds or Newtons) on the scale is actually the Normal Force that the scale exerts back towards the person to support the person's weight.

Scale converts  $\vec{F}_N$  from N  $\rightarrow$  Kg



mass = scale  
 Weight =  $\vec{F}_g$

$\vec{F}_g = m \times a$   
 $\vec{F}_g = mg$   
 $F_g = 56 \text{ Kg} (9.8 \text{ m/s}^2) \approx 560 \text{ N}$



$\vec{F}_g = mg$   
 $90 \text{ N} = 56 \text{ Kg} (g)$   
 $\frac{90}{56} = g$   
 $1.607 \text{ m/s}^2 = g$

$\approx 1.625 \text{ m/s}^2 = g_{\text{moon}}$


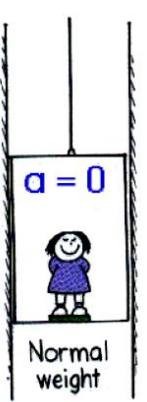
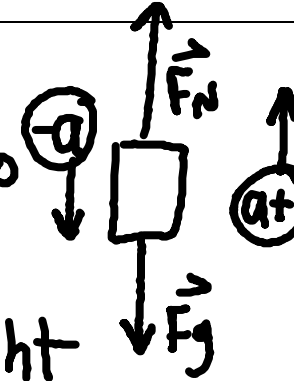

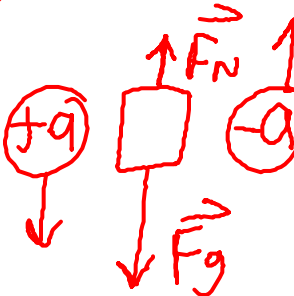


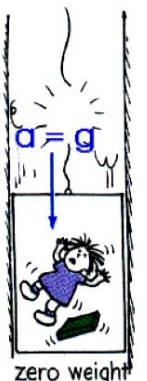
1/6% of Earth's g

Things get complicated when the scale and the person experience acceleration.

This will change the contact force (the Normal Force) between the person and the scale.

Weight can change, mass does not change


# Elevators...

|  |   |
|--|---|
| <p><math>\vec{a} = 0 \text{ m/s}^2</math></p> <ul style="list-style-type: none"> <li>• not moving (<math>\vec{v} = 0 \text{ m/s}</math>)</li> <li>• constant velocity</li> </ul> <p><math>\vec{F}_g = \vec{F}_N</math></p> <p>"TRUE WEIGHT"</p>   |    |
| <p>going <math>\uparrow</math> and speeding <math>\uparrow</math><br/>going <math>\downarrow</math> and slowing <math>\downarrow</math><br/>* Scale must push <math>\uparrow</math> to accelerate</p> <p>HEAVIER than <sup>true</sup> weight</p>  |   |
| <p>going <math>\uparrow</math> slowing <math>\downarrow</math> OR going <math>\downarrow</math> speeding <math>\uparrow</math><br/>* your whole mass is not pushing on scale</p> <p>LOWER than <sup>true</sup> weight</p>                        |  |
| <p>Freefall (cable breaks)</p> <p><math>\vec{a} = g = 9.8 \text{ m/s}^2</math></p> <p><math>\vec{F}_N = 0 \text{ N}</math></p>    |  |

"apparent weight"

$$F_g = 3000 \text{ N}$$

1) An elevator that weighs  $3.0 \times 10^3 \text{ N}$  accelerates upwards at  $1.0 \text{ m/s}^2$ . What force does the cable exert?



$$F_{app} = F_T$$

$$F_g = mg$$

$$m = \frac{F_g}{g} = \frac{3000 \text{ N}}{9.8 \text{ m/s}^2} = 306.12 \text{ kg}$$

$$\sum F = F_T - F_g$$

$$= ma + F_g$$

$$= 306.12 \text{ N} + 3000 \text{ N}$$

$$F_T = 3306.12 \text{ N}$$

2) A person who weighs  $490 \text{ N}$  stands on a scale in an elevator.

a) What does the scale read when the elevator is not moving?

$$490 \text{ N}$$

b) What is the reading on the scale when the elevator rises at a constant velocity?

$$\vec{a} = 0 \text{ m/s}^2$$

$$490 \text{ N}$$

c) The elevator slows down at a rate of  $-2.2 \text{ m/s}^2$ . What does the scale read?

a)

$$\vec{F}_g = mg$$

$$490 \text{ N} = m(9.8 \text{ m/s}^2)$$

$$m = 50 \text{ kg}$$

$$\sum \vec{F} = ma$$

$$\vec{F} = 50 \text{ kg} (-2.2 \text{ m/s}^2)$$

$$F_N = -110 \text{ N}$$

d) The elevator accelerates at  $2.7 \text{ m/s}^2$ . What does the scale read?

$$\sum \vec{F} = \vec{F}_g + \vec{F}_N$$

$$\sum \vec{F} = 490 \text{ N} + ma$$

$$\sum \vec{F} = 490 + 135 \text{ N} = 335 \text{ N}$$

$$50 \text{ kg} (2.7 \text{ m/s}^2)$$

e) What would the scale read if the cable snapped and the elevator was in free-fall downwards?

$$0 \text{ N}$$