

U2:L3 - Special Cases

Any base to the power of 1, is the base.

5^1	5
49^1	49
12345^1	12345
0.99^1	0.99

Any base to the power of 0 is 1.

5^0	1
49^0	1
$(-100)^0$	1
0.13^0	1

A negative base with an even exponent is positive.

$(-2)^2 = (-2) \times (-2) = +4$
$(-3)^2 = (-3) \times (-3) = +9$
$(-2)^4 = (-2) \times (-2) \times (-2) \times (-2) =$
$(+4) \times (-2) \times (-2)$

$(-3) \times (-3) \times (-3) \times (-3)$
 $(9) \times (-3) \times (-3)$
 $(-27) \times (-3) = 81$

A negative base with an odd exponent is negative.

$(-2)^3$	-8
$(-3)^3$	-27
$(-2)^5$	-32
$(-3)^5$	-243

$(-2) \times (-2) \times (-2) \times (-2) \times (-2)$
 $9 \times (-3) \times (-3) \times (-3)$
 $(-27) \times (-3) \times (-3)$

Fractions with exponents require the exponent to be applied to **both** the numerator and denominator.

$\left(\frac{2}{3}\right)^3 = \frac{2^3}{3^3} = \frac{8}{27} = \frac{2 \times 2 \times 2}{3 \times 3 \times 3}$
$\left(\frac{3}{5}\right)^2 = \frac{3^2}{5^2} = \frac{3 \times 3}{5 \times 5} = \frac{9}{25}$
$\left(\frac{5}{9}\right)^2 = \frac{5^2}{9^2} = \frac{5 \times 5}{9 \times 9} = \frac{25}{81}$
$\left(\frac{11}{13}\right)^2 = \frac{11^2}{13^2} = \frac{11 \times 11}{13 \times 13} = \frac{121}{169}$

Variables (letters) can also be used with exponents. Fill in the table below:

	BASE	EXPONENT	REPEATED MULTIPLICATION
y^2	y	2	y x y
$(ab)^3$	(ab)	3	(ab) x (ab) x (ab)
$(gh)^4$	(gh)	4	(gh) x (gh) x (gh) x (gh)
$x^1 y^3$	y	3	(x) x (y) x (y) x (y)
$3w^4$	w	4	(3) x (w) x (w) x (w) x (w)
$(4l)^3$ 4 ³ l ³ 64 l ³	4l	3	(4l) x (4l) x (4l) 4 x l x 4 x l x 4 x l 4 x 4 x 4 x l x l x l 64 l ³

Negative Bases

$$(-2)^3$$

BASE	(-2)
EXPONENT	3
REPEATED MULTIPLICATION	$(-2) \times (-2) \times (-2)$
EVALUATE	-8

$$-2^3$$

BASE	2
EXPONENT	3
REPEATED MULTIPLICATION	$-(2) \times (2) \times (2)$
EVALUATE	-8

TRY IT OUT!

Write out the **repeated multiplication**, and then **evaluate**.

$(-4)^3$ $-4 \times -4 \times -4$ 16×-4 (-64)	-3^3 -27	-5^4 -625	$(-10)^1$ -10
-10^2 -100	$(-10)^2$ 100	-7^6 $-823,543$	$\frac{1^3}{2}$ $\frac{1}{2}$